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A. M. DeAngelis, X. Qu, M. D. Zelinka, A. Hall

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1 **An observational radiative constraint on hydrologic cycle intensification**

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3
4 Anthony M. DeAngelis^{1*}, Xin Qu¹, Mark D. Zelinka², Alex Hall¹

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6
7 ¹Department of Atmospheric and Oceanic Sciences, University of California Los Angeles, Los
8 Angeles, CA 90095

9
10 ²Program for Climate Model Diagnosis and Intercomparison, Lawrence Livermore National
11 Laboratory, Livermore, CA 94550

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20 *Corresponding author:

21
22 Anthony M. DeAngelis
23 Department of Atmospheric and Oceanic Sciences
24 University of California, Los Angeles
25 PO Box 951565
26 Los Angeles, CA 90095-1565, USA
27 *Phone:* 310-206-5257
28 *Fax:* 310-206-5219

29 E-mail: adeangelis@ucla.edu
30
31

Main Text

Hydrologic cycle intensification is a key dimension of climate change, with significant impacts on human and natural systems^{1,2}. A basic measure of hydrologic cycle intensification, the increase in global-mean precipitation per unit surface warming, varies by a factor of three in current-generation climate models ($\sim 1\text{--}3\ \% \text{ K}^{-1}$)³⁻⁵. We show that a substantial portion of this spread can be traced to intermodel variations in the atmospheric shortwave absorption response to warming. As climate warms, increases in shortwave absorption suppress the precipitation increase by reducing the latent heating increase required to keep the atmospheric energy budget balanced^{6,7}. Spread in the shortwave absorption response can be explained by differences in the sensitivity of solar absorption to variations in column precipitable water. An observational estimate suggests that in many models, this sensitivity is too small, and that the shortwave absorption response to warming is too weak. Spread in the simulated sensitivity of solar absorption to varying water vapor concentration is linked to differences in radiative transfer parameterizations. Attaining accurate shortwave absorption responses through radiative transfer scheme improvement could reduce spread in global precipitation increase per unit warming at the end of the 21st century by $\sim 35\%$, and produce an ensemble-mean increase that is almost 40% smaller.

Although local precipitation changes are relevant for direct societal impacts, the change in globally-averaged precipitation is a first-order indicator of climate change that must be well understood and accurately simulated. Evaluation of model-simulated global precipitation change with actual precipitation observations is difficult due to uncertainties and insufficient spatial and

temporal data coverage⁸. An alternative approach is to understand and evaluate it through consideration of the physical processes that govern it.

Projected global-mean precipitation changes are dictated by the atmospheric energy budget's response to imposed radiative forcing and subsequent surface and atmospheric changes^{5-7,9,10}. On annual and longer timescales, net atmospheric longwave cooling to the surface and outer space (LWC) is balanced by heating from shortwave absorption (SWA), sensible heating from the surface (SH), and latent heat release from precipitation (L_vP , latent heat of vaporization multiplied by precipitation rate) according to the following¹¹ (see also Fig. 1):

$$LWC = L_vP + SWA + SH \quad (1)$$

When carbon dioxide (CO_2) and other greenhouse gases increase, and the planet warms, these energy sources and sinks readjust due to a series of surface and atmospheric changes. Upon reaching equilibrium, the new balance is characterized by enhanced longwave cooling, increased solar absorption, decreased sensible heat flux from surface to atmosphere, and increased precipitation^{6,11-13} (Fig. 1b). Climate model differences in the relative changes in the radiative and SH terms, per unit surface warming, produce different global-mean precipitation responses^{7,12,14}. While it is clear that SWA increases mainly due to Clausius-Clapyeron-driven increases in atmospheric water vapor, previous studies have demonstrated that the SWA response to warming has a notable spread across models^{4,7,12}. Moreover, the physical basis for this spread and extent to which it can explain spread in the precipitation response remains a topic of debate^{4,7,12}.

Global-mean precipitation responds to CO_2 forcing on two timescales^{9,15}, as illustrated by idealized experiments where CO_2 suddenly increases. Precipitation initially decreases due to a rapid increase in atmospheric static stability resulting from suppressed longwave cooling (the

rapid adjustment)^{16,17}, then slowly increases with subsequent global-mean surface warming (the temperature-mediated response)^{18,19}. Previous studies investigating intermodel spread in the global-mean precipitation response to increased CO₂ have either not considered rapid adjustments and temperature-mediated responses separately (i.e., they analyzed total precipitation changes)^{4,12}, or analyzed a relatively small number of models, undersampling the ensemble⁷. These limitations have hindered understanding of the sources of spread in hydrologic cycle intensification, particularly regarding the role of shortwave absorption^{4,7}. Here, we analyze rapid and temperature-mediated responses of global precipitation to CO₂ forcing in 25 models participating in the Coupled Model Intercomparison Project Phase 5 (CMIP5) to understand the spread.

Rapid adjustments and temperature-mediated responses are separated by regressing globally-averaged annual anomalies in the atmospheric energy budget terms of Equation 1 against surface air temperature (T) anomalies in simulations of instantaneous CO₂ quadrupling (Methods). For each term, the regression slope represents the temperature-mediated response (hereafter dX/dT , where $X = [L_vP, SWA, LWC, \text{ or } SH]$) and the y-intercept where $\Delta T=0$ is the rapid adjustment²⁰ (Extended Data Fig. 1). The temperature-mediated precipitation response, $L_v dP/dT$, exhibits substantial intermodel spread, with values ranging from ~ 1.8 to 2.7 W m⁻² K⁻¹ [2.0-3.2 % K⁻¹] (Fig. 2a). This would contribute a 4.5 W m⁻² spread in total L_vP change, the difference between a 10% and a 16% increase, if all models were to warm by ~ 5 K (the multi-model mean warming averaged ~ 140 -150 years after CO₂ quadrupling). The spread in total L_vP change resulting from the rapid adjustment from the same forcing is smaller (~ 3 W m⁻²) (Extended Data Fig. 3). In this work, we focus on understanding spread in the temperature-mediated component.

While longwave cooling is the key driver of temperature-mediated precipitation change in the multi-model mean, the spread in $dLWC/dT$ and $dSWA/dT$ is large, and each accounts for substantial intermodel spread in $L_v dP/dT$ ($|r| > 0.60$) (Extended Data Fig. 2). The anti-correlation between $dSWA/dT$ and $L_v dP/dT$ is somewhat larger in magnitude and occurs in both all-sky ($r = -0.64$) and clear-sky ($r = -0.73$) (Fig. 2a). This suggests clouds play a negligible role in the relationship^{7,10} (Extended Data Fig. 2b). An anti-correlation arises because SWA and $L_v P$ compete to balance enhanced longwave cooling in a warmer climate (Fig. 1). Thus models with a larger SWA increase tend to have a smaller $L_v P$ increase, per unit surface warming. The importance of solar absorption for model spread in the global-mean precipitation response to increased CO_2 was also demonstrated by ref. [7]; however, we find the importance of solar absorption stems mainly from the temperature-mediated component of the change, inconsistent with their findings (Methods). Based on our results, $dSWA/dT$ is a key source of model spread in hydrologic cycle intensification, analogous to the importance of cloud feedbacks for model uncertainty in climate sensitivity.

What generates the spread in $dSWA/dT$? Under greenhouse-gas induced warming, SWA increases mainly due to enhanced solar absorption by water vapor in a warmer and moister atmosphere^{7,12}. Thus, model spread in $dSWA/dT$ arises from differences in water vapor absorption. This is supported by the large anti-correlation between $L_v dP/dT$ and clear-sky $dSWA/dT$ (Fig. 2b). Previous studies have proposed two potential sources of model disagreement in the simulated increase of solar absorption: 1) different increases in global-mean column water vapor and/or different vertical/horizontal patterns of vapor change for the same surface warming⁷; 2) differences in the sensitivity of solar absorption to a unit change in atmospheric water vapor content, related to radiative transfer parameterizations¹². In this paper,

we seek to determine which source is more important and to better understand its physical basis. We focus on clear-sky SWA , and hereafter, SWA will refer to its clear-sky component.

Does model spread in $dSWA/dT$ come from the first source, i.e., differences in the water vapor response for the same surface warming? Cross-model correlations between globally-averaged temperature-mediated water vapor responses (both column-integrated and at individual levels) and $dSWA/dT$ are weak and statistically insignificant, suggesting it does not (Methods, Extended Data Fig. 4). To substantiate this further and examine the role of horizontal variability in vapor changes, we estimate $dSWA/dT$ using radiative kernels, i.e., linear approximations of radiative flux sensitivity to perturbations in atmospheric state (Methods). As the kernels are developed with a single radiative transfer code¹⁴, model spread in kernel-derived $dSWA/dT$ mainly reflects intermodel differences in the water vapor response to surface warming¹⁴. If the vapor response were causing most of the spread in $dSWA/dT$, the kernel-derived $dSWA/dT$ and actual $dSWA/dT$ computed from model-produced fluxes should be highly correlated, with a similar spread. However, kernel-derived $dSWA/dT$ exhibits approximately half the spread and is uncorrelated with model-produced $dSWA/dT$ (Fig. 2a). Thus model variations in $dSWA/dT$ are unaccounted for by the total water vapor increase or subtle differences in the vertical/horizontal structure of vapor increase among models. This is consistent with the findings of ref. [12]. Instead, the main source of intermodel variability in $dSWA/dT$ would appear to be the sensitivity of solar absorption to a unit change in atmospheric water vapor.

The sensitivity of solar absorption to a change in water vapor concentration is estimated in each model by binning clear-sky SWA based on local-monthly column precipitable water (PW) in the control climate and computing the regression slope of bin-averaged SWA against PW (Methods). This quantity is hereafter denoted as $dSWA/dPW$. Fig. 3a shows SWA versus PW

curves for the two models having the largest and smallest sensitivity. $dSWA/dPW$ ranges from 0.03 to 0.11 %/[kg m⁻²] across models (Fig. 3), with much of the difference arising from absorption under moist conditions (Extended Data Fig. 5). $dSWA/dPW$ is almost perfectly correlated with $dSWA/dT$ across models ($r=0.93$, Fig. 3b). This confirms that the sensitivity of solar absorption to a change in atmospheric moisture is the principal source of spread in the temperature-mediated SWA response to CO₂ forcing.

We estimate the real atmosphere's $dSWA/dPW$ by combining radiative fluxes from the Clouds and the Earth's Radiant Energy System Energy Balance and Filled products (CERES-EBAF)^{21,22} with PW measurements from three sources (Methods). $dSWA/dPW$ obtained from CERES-EBAF and each PW dataset (~ 0.11 - 0.13 %/[kg m⁻²]) is on the upper end of the CMIP5 range (Fig. 3), implying that $dSWA/dPW$ is too weak in most models. This is consistent with recent studies showing that many climate models underestimate solar absorption in moist atmospheres²³⁻²⁵. Thus the temperature-mediated SWA response is underestimated by many models. Models with $dSWA/dPW$ within statistical uncertainty of observations have $dSWA/dT$ ranging from 0.95 - 1.09 W m⁻² K⁻¹, i.e. the upper 25% of the full spread of 0.52 - 1.09 W m⁻² K⁻¹ (Fig. 3b). Given the strong anti-correlation between $dSWA/dT$ and $L_v dP/dT$ (Fig. 2b), this further implies that many models *overestimate* the temperature-mediated increase in global-mean precipitation, assuming no compensating errors in other energy budget terms. This assumption may not be true, however, as models may underestimate projected increases in longwave cooling because of a hypothesized missing iris effect²⁶. If this is the case, it would contribute an *underestimation* in global precipitation increase that is independent of temperature-mediated shortwave absorption (Methods).

What is the physical basis for the model spread in $dSWA/dPW$? Simulated solar absorption for a given atmospheric water vapor concentration is determined by radiative transfer algorithms that approximate complex spectral absorption by water vapor molecules, among other constituents. We examine the influence of these algorithms on simulated $dSWA/dPW$ by categorizing the shortwave parameterization scheme in each model based on its treatment of clear-sky solar absorption by water vapor (Fig. 4). The schemes vary considerably among models and their characteristics have a strong correspondence with $dSWA/dPW$. In general, models that implement more modern approaches and/or use a larger number of mathematical terms (N in Fig. 4) to approximate the complex dependency of shortwave transmission on wavelength, tend to have larger and more realistic $dSWA/dPW$ (see also Methods). It is important to note that a commonly used observational product, the International Satellite Cloud Climatology flux dataset (ISCCP-FD)²⁷, exhibits a large bias in $dSWA/dPW$ (Fig. 4). This product generates fluxes with a radiative transfer algorithm nearly identical to that used in the GISS-E2-H and GISS-E2-R models (Methods), and as a consequence yields the same $dSWA/dPW$ as those models. Thus, caution should be taken when treating ISCCP-FD radiative fluxes as observations.

Intermodel variability in the accuracy of shortwave parameterization schemes likely results from model developers' ongoing challenge of balancing the need for accurate radiative transfer calculations against considerations of computational efficiency and realistic simulation of other climate system components²⁴. As computational capabilities have grown, improvement in longwave schemes and other model components (e.g., cloud processes) seem to have taken precedence over parameterization of shortwave gaseous absorption, with many modeling institutions continuing to implement outdated schemes for the latter in CMIP5^{24,25,28} (Extended

Data Fig. 6). This is understandable considering the importance of cloud feedbacks and longwave fluxes and for climate sensitivity, but here we show that atmospheric solar absorption is equally important for hydrologic cycle intensification. Based on a simple calculation (Methods), we estimate that if the temperature-mediated SWA response to CO₂ forcing were perfectly constrained in the current generation of models, the spread in total precipitation increase per unit warming predicted at the end of the 21st century under the Representative Concentration Pathway scenario 8.5 (RCP8.5)²⁹ could be reduced by ~35%, and the ensemble-mean precipitation increase per unit warming would decrease by nearly 40% (Extended Data Fig. 7). Even for the total precipitation change (i.e. not normalized by surface warming), a spread reduction of ~25% and reduction in ensemble-mean increase of ~25% could be obtained. Clearly, shortwave radiative transfer parameterizations need improvement in many climate models, and fortunately, this is already underway at several modeling institutions²⁵.

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Author Contributions

A.M.D., X.Q., and A.H. designed the methodology. A.M.D. performed the analysis and wrote the paper. M.D.Z. provided the kernel-derived temperature-mediated shortwave absorption response estimates. All authors discussed the results and edited the manuscript.

Author Information

The authors declare no competing financial interests. Correspondence and requests for materials should be addressed to A.M.D. (adeangelis@ucla.edu).

Figure Legends

Figure 1. The atmospheric energy budget. (a) Schematic of the fluxes considered in the budget. All fluxes (arrows) shown in the schematic are defined positive; some represent

downward (denoted with subscript d) and others upward (denoted with subscript u) fluxes at the top-of-atmosphere (TOA) or surface (SFC). All flux arrows are drawn with the same length for simplicity. The four main energy budget terms considered in this study (Eq. 1) are identified with blue text. Two of them are radiative and are derived from individual longwave (LW) or shortwave (SW) flux components, following the equations in panel (a): net atmospheric longwave cooling (LWC , the sum of upward LW flux at TOA and net downward LW flux at the SFC) and shortwave absorption (SWA , net downward SW flux at TOA minus net downward SW flux at the SFC). The other two are the latent heat release from precipitation (L_vP , latent heat of vaporization multiplied by precipitation rate) and sensible heat flux from the surface to atmosphere (SH). (b) The global-mean values of the four terms simulated by the CMIP5 ensemble for the pre-industrial control simulation (average over 150 years), Representative Concentration Pathway scenario 8.5 (RCP8.5, average over 2091-2100), and abrupt quadrupled CO_2 scenario (average for years 141-150 after CO_2 quadrupling in all models except CNRM-CM5-2 and IPSL-CM5A-MR, where it is for years 131-140). The model mean is shown in all cases, and the radiative terms are computed using all-sky fluxes. All terms are positive.

Figure 2. Relationship between temperature-mediated L_vP and SWA responses. (a) The temperature-mediated responses of L_vP ($L_v dP/dT$) and SWA ($dSWA/dT$) for all-sky (indicated with all-) and clear-sky (indicated with clr-) are shown. The values are computed using model-produced fluxes (as in Extended Data Fig. 1) except in the case of $clr-dSWA/dT(k)$, in which they are computed with radiative kernels (Methods). Individual CMIP5 models are shown as blue circles. The numbers above the abscissa are the cross-model correlations between $L_v dP/dT$ and each $dSWA/dT$. The number in parentheses is the correlation between model-

produced and kernel-derived clear-sky $dSWA/dT$. (b) Scatterplot of the model-produced $L_v dP/dT$ vs. clear-sky $dSWA/dT$ for the 25 models. Note that the abscissa and ordinate axes have the same scale. Model numbers are defined in Extended Data Table 1.

Figure 3. The sensitivity of solar absorption to varying atmospheric water vapor. (a) Clear-sky SWA normalized by incoming solar flux versus column precipitable water (PW) in the pre-industrial climate for selected models and for CERES-EBAF estimates with three PW datasets (see Methods). The slope of the curve represents the sensitivity of SWA to varying PW ($dSWA/dPW$) and its value is given in the legends for each model/dataset ($\%/[\text{kg m}^{-2}]$). (b) Scatterplot of the (clear-sky) temperature-mediated SWA response to CO_2 forcing, $dSWA/dT$ (Fig. 2b), versus $dSWA/dPW$ (panel a) for the 25 models. In (b), the width of the horizontal shading for each model represents the 95% confidence interval (CI) of the regression slope to the SWA versus PW curve (Methods). Statistical uncertainty of the CERES-EBAF $dSWA/dPW$ estimate combining all PW datasets is shown with vertical dashed lines (obs). It is computed by (1) calculating the 95% CI of the slope of the CERES-EBAF curve with each individual PW dataset, then (2) calculating the absolute minimum to maximum of the three CIs (i.e., the minimum of the lower bounds of all CIs to the maximum of the upper bounds of all CIs).

Figure 4. Shortwave parametrization schemes. The relationship between $dSWA/dPW$ (Fig. 3) and characteristics of the parameterization scheme for solar absorption by water vapor in a cloud-free atmosphere, with colors for each model referring to different types of parameterizations as described in the legend (N refers to the number of exponential terms representing water vapor absorption). References and further discussion are given in Extended

Data Table 1 and Methods, respectively. Model numbers are identified. The width of horizontal shading for models and the vertical dashed lines for observations (obs) represent statistical uncertainties of $dSWA/dPW$, as described in Fig. 3. The 95% CI for an estimate of $dSWA/dPW$ based on ISCCP-FD (Methods) is also shown with vertical dashed lines.

Methods

CMIP5 models. The CMIP5 models²⁹ analyzed here are listed in Extended Data Table 1, with corresponding references. We use one ensemble member (r1i1p1) from 25 models that had available monthly output of atmospheric temperature and humidity, precipitation, and energy fluxes for the pre-industrial control (piControl) and abrupt quadrupled CO₂ (abrupt4xCO₂) experiments at the time of analysis.

Temperature-mediated responses and rapid adjustments. The Gregory method^{10,20} is employed using each model's piControl and abrupt4xCO₂ run. For each year of the abrupt4xCO₂ run, the global-mean abrupt4xCO₂ anomaly of a physical quantity (e.g., L_vP) relative to the piControl simulation is paired against the corresponding anomaly of 2-m air temperature, generating a scatterplot (Extended Data Fig. 1). To compute the annual anomalies, the piControl 21-year mean, centered on the corresponding year of the abrupt4xCO₂ simulation, is subtracted from each abrupt4xCO₂ 1-year mean. Subtracting this running mean removes possible influences of climate model drift on the anomalies. The scatterplots are generated using 150 years of the abrupt4xCO₂ simulation when available (140 years are available from the CNRM-CM-2 and IPSL-CM5A-MR models). A least-squares linear regression is then applied

to each scatterplot, with the slope and y-intercept of the fit representing the temperature-mediated and rapid responses to CO₂ forcing, respectively.

The Gregory methodology is displayed visually for the GFDL-CM3 model in Extended Data Fig. 1. It shows the yearly evolution of globally-averaged *LWC*, *SWA*, *SH*, and *L_vP* changes after a quadrupling of atmospheric CO₂. The physical interpretation of these changes has been thoroughly discussed in numerous studies^{6,12,16,18,30-32}. The high degree of linearity of the scatterplots demonstrates the reliability of this approach for separating temperature-mediated responses and rapid adjustments.

As shown in Fig. 2, model spread in the temperature-mediated *SWA* response, $dSWA/dT$, particularly for clear-sky, substantially contributes to the spread in $L_v dP/dT$. The *total* change in *L_vP* per unit warming ($L_v \Delta P / \Delta T$, which includes the temperature-mediated response and rapid adjustment), however, is not correlated with the corresponding total change in *SWA* across models (Extended Data Fig. 3a). This may be the consequence of large scatter in the rapid adjustment of *L_vP*, which is not strongly related to that of *SWA* (Extended Data Fig. 3b). Ref. [7] found the opposite result using 8 CMIP3 models: that the temperature-mediated responses of latent heating and solar absorption are not correlated, but that total changes at a warming of 2 K are anti-correlated ($r = -0.66$). The differences between their results and ours likely originates from different analysis methods and sampling. For one, they use only 8 models from CMIP3 while we use 25 from CMIP5. Additionally, they combine different types of CO₂ forcing scenarios (e.g., 1% increase to CO₂ doubling or quadrupling and instantaneous CO₂ doubling) and base their temperature-mediated estimates on scatterplots of relatively few (5-10) data points from each simulation. It is shown in their analysis that quite different slopes may be obtained from different forcing simulations even with the same model. We argue that our results

are more robust. In addition to using many more models, we base our temperature-mediated estimates on a large number of data points (140-150) from a single forcing scenario (instantaneous CO₂ quadrupling). Furthermore, our findings are consistent with ref. [4] who also found that *total* changes in precipitation (per unit warming) are not correlated with those in shortwave absorption under doubled CO₂ using a larger sample of CMIP3 models (14) than ref. [7].

Radiative kernels and water vapor responses. Radiative kernels were developed using an offline version of the MPI-ECHAM5 radiation code and represent the sensitivity of top-of-atmosphere (TOA) and surface shortwave radiative fluxes to small perturbations in atmospheric specific humidity and surface albedo¹⁴. Global-mean temperature-mediated SWA responses due to water vapor changes are computed as follows: 1) Temperature-mediated responses in the logarithm of specific humidity at all months, locations, and pressure levels are multiplied by the shortwave specific humidity atmospheric (TOA minus surface) kernel for clear-sky. Global-annual-mean kernel values are shown in Extended Data Fig. 4a. Specific humidity responses are computed as the difference in abrupt4xCO₂-piControl anomalies averaged over years 121-150 and 1-30 of the abrupt4xCO₂ simulation, normalized by the corresponding difference in 2-m air temperature. 2) The product is integrated over the depth of the troposphere (defined as all levels between the surface and a tropopause height that varies linearly with latitude from 100 hPa on the Equator to 300 hPa at the poles), and then averaged over all months and locations. Temperature-mediated SWA responses due to surface albedo are computed in similar fashion but with surface albedo kernels and temperature-mediated responses. The final kernel-derived temperature-mediated SWA response for each model [$dSWA/dT(k)$ in Fig. 2a] is the sum of the

water vapor and surface albedo components of the response, with the vapor component dominating¹⁴.

It should be noted that the computation of atmospheric radiative feedbacks using kernels is associated with uncertainty^{12,14}. In this study, our goal is not to obtain perfectly accurate quantitative estimates of temperature-mediated responses with the kernels. Rather, we apply the kernels to assess whether model spread in $dSWA/dT$ originates from differences in the response of atmospheric water vapor to surface warming. We argue that the kernel calculations are sufficiently accurate for this purpose. Extended Data Fig. 4 shows that kernel-derived $dSWA/dT$ is significantly correlated across models with globally-averaged responses of water vapor, as expected. By contrast, actual model-produced $dSWA/dT$ is not correlated with the water vapor responses, supporting that spread in $dSWA/dT$ is not explained by differences in the water vapor response. This may be partly because water vapor responses (in fractional sense) and their intermodel variability are largest in the upper troposphere, where water vapor changes have little effect on total-column SWA (Extended Data Fig. 4a). Our conclusions are also supported by ref. [12], where it is independently shown that CMIP5 spread in enhanced solar absorption under CO₂ forcing cannot be reproduced by imposing simulated changes in atmospheric temperature and moisture on the single-column Fu-Liou radiative transfer model. Nonetheless, to assess uncertainty in kernel-estimated temperature-mediated responses, calculations with additional kernels produced from different radiation codes would be necessary.

The sensitivity of SWA to a unit water vapor change. SWA sensitivity to water vapor variability is computed based on spatial and temporal variations of PW in the control climate. All grid cells and months from 150 years of a model's piControl simulation over the tropical

oceans are aggregated into one sample to compute the sensitivity. The years 2001-2009 and 1984-2009 are used for estimates based on CERES-EBAF and ISCCP-FD, respectively. Tropical oceans are defined as grid cells with centers between 30°S and 30°N and with land fraction less than 0.50. All model output is regridded to 2.5° x 2.5° lat-lon prior to performing calculations. To compute the sensitivity, the clear-sky *SWA* at each grid cell and for each month is normalized by incoming solar radiation, then binned according to *PW* with equal bin size of 2 kg m⁻². *SWA* is averaged within each *PW* bin and plotted against the bin center value (Fig. 3a). Only bins with at least 20 data values in every model and observational source are considered, resulting in a common *PW* range of 12-58 kg m⁻². The linear regression slope of the *SWA* versus *PW* scatterplot represents the *SWA* sensitivity to varying *PW* (i.e., $dSWA/dPW$). Statistical uncertainty in $dSWA/dPW$ is computed as the 95% confidence interval of the regression slope, derived from the estimated standard error of the slope parameter³³.

We consider only tropical oceans when computing $dSWA/dPW$ due to the relatively small variability of surface albedo and solar zenith angle within this region, better isolating the effect of *PW* on *SWA*. To examine whether the remaining small variations of surface albedo or solar zenith angle affect $dSWA/dPW$, we re-compute $dSWA/dPW$ by also conditioning on surface albedo and/or zenith angle. Specifically, $dSWA/dPW$ is recomputed from locations and months where albedo and/or zenith angle vary by no more than 0.01 or 1°, respectively. While the recomputed $dSWA/dPW$ values vary slightly from the original values computed with the entire domain, they are highly correlated with the original values across models (not shown). This suggests the influence of albedo and zenith angle on $dSWA/dPW$ is very small.

Our computation of $dSWA/dPW$ does not isolate the effect of aerosols on *SWA*. Models differ in the types of aerosols represented, the concentrations and optical properties of the

aerosols, and the quantitative parameterization of aerosol scattering and absorption. These factors could potentially modulate the relationship between SWA and PW in models, and thus $dSWA/dPW$ may not completely reflect the physics of water vapor absorption. One possible example of this is with the GFDL models. All three GFDL models (GFDL-CM3, GFDL-ESM2G, GFDL-ESM2M) use the same shortwave parameterization for water vapor absorption and scattering by aerosols³⁴⁻³⁷; yet the CM3 absorbs more solar radiation in moist conditions, leading to larger $dSWA/dPW$ (Extended Data Fig. 5). The CM3 implements an interactive aerosol scheme with different aerosol optical properties than the ESM models (which prescribe aerosols), resulting in enhanced and more realistic downward clear-sky surface shortwave flux due to reduced aerosol direct effects³⁴. We speculate that the reduced aerosol direct effects may lead to more solar radiation available for absorption by lower tropospheric water vapor, and thus larger SWA in moist conditions in the CM3. The extent that differences in aerosol concentrations/properties affect the variability in $dSWA/dPW$ among other models is unknown without a more rigorous and controlled investigation. However, we suspect these effects are generally small, as 1) the GFDL models represent the only instance in which $dSWA/dPW$ significantly differs among models with similar parameterizations of solar absorption by water vapor (Fig. 4, Extended Data Fig. 6), and 2) $dSWA/dPW$ computed using different forcing scenarios (e.g., historical and RCP8.5, which potentially exhibit large variability in aerosols) are very similar to those computed with the piControl (not shown).

Stratospheric ozone is another strong absorber of solar radiation. Ozone may influence $dSWA/dPW$ if its concentration varies systematically with atmospheric moisture. Although column-integrated ozone tends to decrease with increasing PW in 16 models that have available ozone output, there is no cross-model correlation between the sensitivity of ozone concentration

to varying PW and $dSWA/dPW$ (not shown). This suggests the covariability of ozone and PW does not systematically affect $dSWA/dPW$. Furthermore, $dSWA/dPW$ is similar to that in Extended Data Fig. 5 when it is computed from a smaller sample of locations and months exhibiting little variability in column-integrated ozone (not shown). This strengthens the case that ozone is not significantly affecting model variability in $dSWA/dPW$. However, the parameterization of ozone absorption likely influences the mean position of the SWA versus PW curve for each model (i.e., average SWA over the range of PW analyzed). One possible example of this is with the INM-CM4 and MRI-CGCM3 models. Both models use the same shortwave parameterization for water vapor absorption³⁸, but have different treatments of solar absorption by ozone^{39,40}. We speculate that this partly explains the similar slopes but different vertical placement of the SWA versus PW curves for these models (Extended Data Fig. 5).

As discussed above, $dSWA/dPW$ values are nearly invariant to the simulation (e.g. piControl, abrupt4xCO2, historical, RCP8.5) from which they are calculated in models (not shown). They are also very similar when computed from a subset of years as short as that used from observations (2001-2009). Furthermore, $dSWA/dPW$ computed from various percentiles of the SWA distribution within each PW bin (ranging from the 10th to 90th percentile) are similar to those computed with the SWA bin mean (not shown). These findings further demonstrate that the methodology robustly quantifies the dependency of SWA on atmospheric moisture.

Observations. The CERES-EBAF dataset provides clear-sky radiative fluxes at the TOA and surface on a grid comparable to climate models and has global coverage. TOA fluxes are based on satellite measurements, and surface fluxes are generated with a radiative transfer model constrained by the TOA fluxes²². Although the surface fluxes are model produced, they are

computed with a radiative transfer algorithm that is arguably more advanced and physically-based than that used in most climate models. In particular, the radiation code for solar absorption employs the formal correlated-k-distribution framework with absorption coefficients (k-values) being determined directly from detailed line-by-line (LBL)-generated k-distributions^{41,42}. This approach is arguably superior to that in most CMIP5 models, in which k-values are in many cases determined with non-physical mathematical optimization procedures (e.g., refs. [36] and [43]). In addition, the treatment of pressure-temperature-concentration dependence of k-values in the CERES-EBAF scheme is more physical and higher in resolution than most CMIP5 models⁴¹. The final parameterization describing water vapor absorption in CERES-EBAF also has many mathematical terms (>50) approximating shortwave transmission⁴⁴. CERES-EBAF surface fluxes are in good agreement with point observations²² and the radiation scheme used to generate surface fluxes performs well when compared with recent LBL calculations²⁴.

To compute CERES-EBAF-derived $dSWA/dPW$, water vapor data is taken from three sources: 1) the Special Sensor Microwave Imager (SSM/I)⁴⁵; 2) a product developed by Remote Sensing Systems (RSS) that combines measurements from various instruments, including SSM/I, the Special Sensor Microwave Imager Sounder (SSMIS), the Advanced Microwave Scanning Radiometer (AMSR-E), and the WindSat Polarimetric Radiometer⁴⁶; 3) the Television Infrared Observation Satellite Operational Vertical Sounder (TOVS)⁴⁷. ISCCP-FD-derived $dSWA/dPW$ is based on TOVS water vapor, which was used in development of the flux dataset²⁷.

The uncertainty range of CERES-EBAF-derived $dSWA/dPW$ shown in the figures (e.g., Figs. 3-4) reflects statistical uncertainty in the computation of $dSWA/dPW$ and uncertainty due to the use of different PW datasets (see Fig. 3 caption). Inherent uncertainties in CERES-EBAF

fluxes, including possible measurement uncertainty, errors in the radiative transfer scheme, and uncertainty in the methodology that generates clear-sky fluxes²², are difficult to quantify and are not included. Potential uncertainty in the individual PW measurements are also not accounted for. Thus, the effective uncertainty of observed $dSWA/dPW$ is likely larger than indicated in the figures. Nonetheless, the conclusion that most CMIP5 models underestimate $dSWA/dPW$ is robust, as it is strongly supported by a recent study in which radiation schemes are evaluated against high quality LBL calculations²⁵.

Additional discussion of shortwave radiative transfer schemes. The severe underestimation of $dSWA/dPW$ by the GISS models stands out in Fig. 4. In these models, solar absorption by water vapor is parameterized with a pseudo-k-distribution approach consisting of 15 mathematical terms⁴⁸⁻⁵². Some of the other CMIP5 models in our analysis, including those with the largest $dSWA/dPW$, use as many terms in their parameterizations (Fig. 4). Thus the poor performance of the GISS parameterization is not simply the result of the number of computations employed to approximate shortwave transmission. Rather, the finer details of how the parameters of the analytical expressions (e.g., pseudo absorption coefficients and weights for terms) are developed and the quality of the reference calculations from which the parameterizations were originally based, are probably important, among other characteristics. The GISS parameterization employed in CMIP5 was developed from a combination of old and relatively new methods⁵⁰⁻⁵². The resulting analytical expressions, which combine pressure-temperature-spectral absorption dependency, are known to underestimate solar absorption in moist atmospheres based on comparison with modern LBL calculations^{24,25}. Updates were made

to the GISS radiation scheme since CMIP5, and these will likely result in significant improvements in solar absorption and $dSWA/dPW$ in future generations of the GISS model²⁵.

Aside from the GISS models, the number of mathematical terms employed in shortwave parameterizations appear to exert a general influence on parameterization performance (Fig. 3c). A specific example is with models developed at IPSL and CNRM. In these models, water vapor absorption is parameterized with an algorithm originally developed in 1980 and later modified for use in the operational European Center for Medium Range Weather Forecasts (ECMWF) model^{53,54}. It consists of a few shortwave bands, within which Padé Approximants represent gaseous absorption by water vapor⁵³. In the IPSL models, only two shortwave bands are used⁵⁴. These models clearly underestimate mean SWA over the range of PW analyzed and $dSWA/dPW$ is smaller than that of all models except GISS (Extended Data Fig. 5). By contrast, the CNRM scheme employs 6 total shortwave bands²⁸. Mean SWA is considerably larger and more realistic in these models compared to IPSL and $dSWA/dPW$ is marginally improved as well (Extended Data Fig. 5). Thus the number of spectral bands and corresponding computations can have a large impact on the realism of solar absorption.

A comparison of the models that implement a 7-band parameterization originally developed by ref. [38] (BCC-CSM1.1, BCC-CSM1.1(m), CCSM4, INM-CM4, MRI-CGCM3, NorESM1-M) sheds light on specific characteristics of parameterizations of gaseous absorption, other than number of mathematical terms, that appear important for SWA . The original parameterization for water vapor absorption by ref. [38] consists of a 7-term pseudo- k -distribution summation with absorption coefficients and weights determined by fits to empirical and LBL calculations, respectively^{38,50}. It is employed by the INM-CM4 and MRI-CGCM3 models (Extended Data Fig. 6). The parameterization was later modified to account for

additional near-infrared water vapor absorption based on updated spectroscopic data and continuum absorption in the shortwave, which resulted in refitting the 7 parameterized absorption coefficients⁵⁵. The updated parameterization is employed in the BCC-CSM1.1, BCC-CSM1.1(m), CCSM4, and NorESM1-M models. The models using the updated parameterization exhibit improved $dSWA/dPW$ by a small but non-negligible amount (Extended Data Fig. 6). Consideration of weak water vapor absorption lines and continuum absorption are therefore somewhat important for accurate simulation of changes in solar absorption in a warming climate. This is consistent with the findings presented in refs. [55] and [56]. Note that most models with larger and more realistic $dSWA/dPW$ tend to account for continuum absorption in their parameterizations (Extended Data Fig. 6).

Other details of the CMIP5 shortwave parameterization schemes, including the treatment of scattering by aerosols and molecules and of overlapping absorption by multiple gaseous species, have not been thoroughly investigated here. They too may influence the intermodel spread in $dSWA/dPW$. Even if these details are indeed influencing $dSWA/dPW$, it would not change the conclusion that shortwave parameterizations *in general* are important for the spread in simulated hydrologic cycle intensification.

Constraining late 21st century precipitation changes. We exploit the strong model relationships among SWA and L_vP under CO_2 forcing (Extended Data Figs. 7a-b) to compute a hypothetical change in L_vP that may occur at the end of the 21st century under realistic climate forcing if the true temperature-mediated SWA response to CO_2 forcing, $dSWA/dT$, were perfectly known. The “true” $dSWA/dT$ is approximated from the model relationship between $dSWA/dT$ and $dSWA/dPW$, using the observed value of $dSWA/dPW$ based on CERES-EBAF

(Extended Data Fig. 7a). The resulting true value of $dSWA/dT$ is then used with the model relationship between the temperature-mediated L_vP response, $L_v dP/dT$, and $dSWA/dT$ to estimate a “bias” in $L_v dP/dT$ that originates from a bias in $dSWA/dT$ (Extended Data Fig. 7b). The bias for each model is then removed from the predicted precipitation change at the end of the 21st century in the RCP8.5 scenario relative to the piControl according to:

$$\frac{L_v \Delta P}{\Delta T_{cons}} = \frac{L_v \Delta P_{RCP8.5} - bias * \Delta T_{RCP8.5}}{\Delta T_{RCP8.5}} \quad (2)$$

where $\frac{L_v \Delta P}{\Delta T_{cons}}$ is the constrained total change in L_vP normalized by surface warming with the bias removed, $L_v \Delta P_{RCP8.5}$ is the total late 21st century L_vP change (mean of years 2081-2100 in RCP8.5 minus mean of years 131-150 in piControl), and $\Delta T_{RCP8.5}$ is the late 21st century 2-m air temperature change computed similarly to $L_v \Delta P_{RCP8.5}$.

The above procedure makes several assumptions, including: 1) the middle of the range in CERES-EBAF-computed $dSWA/dPW$ is most representative of the real atmosphere, 2) the best “true” value of $dSWA/dT$ (Extended Data Fig. 7a, blue star) and $L_v dP/dT$ (Extended Data Fig. 7b, black horizontal line) occurs at the linear regression line on the cross-model scatterplots, and 3) $L_v dP/dT$ contributes linearly (with ΔT) to the total late 21st century change in L_vP computed from RCP8.5, as depicted in Equation 2.

Removing the bias in $L_v dP/dT$ due to a bias in $dSWA/dT$ reduces the model spread in predicted precipitation change per unit warming at the end of the 21st century by 37%, and reduces the ensemble mean increase by 38% (Extended Data Fig. 7c). Even if we do not normalize by differences in surface warming ΔT , which is the main driver of the spread in total precipitation change $L_v \Delta P$, a discernible reduction in spread by 27% and ensemble mean increase by 25% can be achieved (Extended Data Fig. 7d). The spread reduction is substantial

considering the numerous factors in addition to the temperature-mediated *SWA* response to CO_2 forcing potentially contributing to model scatter in RCP8.5 projections. These include temperature-mediated responses of other energy budget components (Extended Data Fig. 2), greenhouse gas forcing other than CO_2 , aerosols, and the rapid $L_v P$ adjustments to all forcings. For instance, ref. [4] demonstrated the potent role of black carbon forcing for CMIP3 spread in simulated global precipitation change under a realistic climate change scenario. That we obtain a 37% reduction in $L_v \Delta P / \Delta T$ under RCP8.5 by only constraining the temperature-mediated component of *SWA* change under pure CO_2 forcing (and only a somewhat larger reduction by 45% when repeating the same exercise with the quadrupled CO_2 runs, not shown) suggests that the role of black carbon forcing on the spread may be less potent in CMIP5 than CMIP3. This is an interesting possibility worthy of further analysis.

How may uncertainty in late 21st century precipitation change be reduced further? As discussed above, a realistic climate change scenario includes greenhouse gas forcing (from CO_2 and other gases), aerosol forcing, and rapid adjustments to these forcings. A better understanding of all these factors is therefore critical, including of the rapid adjustment to CO_2 forcing. This factor has a non-negligible spread (Extended Data Fig. 3b) and is not strongly correlated with the corresponding intermodel variations in temperature-mediated response ($r = -0.23$, not shown). Additionally, the spread in the temperature-mediated $L_v P$ response to CO_2 forcing is not only driven by the *SWA* component, as indicated by residual scatter in Fig. 2b. Extended Data Fig. 2 shows that the net atmospheric longwave cooling response, $dLWC/dT$, also has a large spread that is correlated with $L_v dP/dT$. $dSWA/dT$ and $dLWC/dT$ are not correlated with each other ($|r| < 0.1$, not shown), suggesting that $dLWC/dT$ is another independent source of spread that demands better understanding. $dLWC/dT$ is only correlated with

$L_v dP/dT$ for all-sky (Extended Data Fig. 2), implying that clouds may play an important role in the intermodel relationship. This is different from the case of $dSWA/dT$, in which clear-sky absorption by water vapor is critical.

Code Availability. Any codes used in the analysis in this paper and in the production of figures can be made available upon request. Please contact adeangelis@ucla.edu.

Methods/Extended Data References

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Extended Data Legends

Extended Data Table 1. CMIP5 models analyzed in this paper. The numbers used to identify models throughout the paper are given in the first column. General references and references documenting the details of the shortwave parameterization schemes, particularly with regard to the treatment of gaseous absorption, are listed in the rightmost columns. Additional information about the BCC-CSM1.1 models may be found at the webpage given under the modeling institution.

Extended Data Figure 1. Demonstration of the Gregory method for the GFDL-CM3. Global-annual-mean anomalies (abrupt4xCO₂-piControl) in atmospheric energy budget terms (latent heat release from precipitation [L_vP], net longwave cooling [LWC], shortwave absorption [SWA], and sensible heating [SH]) are regressed against those in 2-m air temperature (see Methods). For L_vP , precipitation anomalies are multiplied by the latent heat of vaporization, L_v . Radiative terms are computed with all-sky fluxes. The statistics of the linear regression (slope [temperature-mediated response, $\text{W m}^{-2} \text{K}^{-1}$] and y-intercept [rapid adjustment, W m^{-2}]) are displayed in the legend. Correlation coefficients of the scatterplots are ~0.99 for all terms except SH , where it is -0.85.

Extended Data Figure 2. Summary of model spread in temperature-mediated responses.

(a) The temperature-mediated response of each atmospheric energy budget term (Eq. 1) is shown for each model as blue circles and the model mean as a red cross. Responses of the radiative terms ($dLWC/dT$ and $dSWA/dT$) computed with all-sky fluxes or with clear-sky fluxes are denoted with all- or clr-, respectively. The numbers above the abscissa are the cross-model correlations between $L_v dP/dT$ and each other temperature-mediated response. (b) Scatterplot of the all-sky versus clear-sky temperature-mediated SWA response.

Extended Data Figure 3. Total changes and rapid adjustments for $L_v P$ and SWA . (a) The total change in $L_v P$ per unit warming (mean over years 131-150 of the abrupt4xCO2 simulation minus the corresponding mean of the piControl simulation, normalized by 2-m air temperature change, $L_v \Delta P / \Delta T$) versus total change in clear-sky SWA per unit warming ($\Delta SWA / \Delta T$). (b) The rapid adjustment of $L_v P$ versus rapid adjustment of clear-sky SWA .

Extended Data Figure 4. Contributions of water vapor change to model spread in temperature-mediated SWA response. (a) The Gregory method (Methods) is applied to anomalies of globally-averaged specific humidity (q) at standard atmospheric levels, total column precipitable water (PW), and upper tropospheric precipitable water [$PW(500-200)$], computed by vertically integrating q between 500 and 200 mb] to quantify the temperature-mediated response of atmospheric water vapor for each model. The natural log was applied before computing annual anomalies. For each quantity, the symbols (circle, diamond, square) represent the model mean and the whiskers represent the full model spread. The globally-averaged annual-mean clear-sky shortwave atmospheric q kernel (Methods) is overlaid (blue

curve). (b) The cross-model correlation between the responses of water vapor in panel (a) and the temperature-mediated clear-sky SWA response ($dSWA/dT$) computed with model-produced fluxes (black) or radiative kernels (blue). Filled symbols are statistically significant at the 5% level based on a two-tailed t-test³³, with degrees of freedom corresponding to the number of participating modeling institutions (14) within the 25 model ensemble.

Extended Data Figure 5. The SWA sensitivity curve for each model. Normalized bin-mean SWA versus PW and corresponding linear fit (as in Fig. 3a) for each model (black dots/line), with models sorted from (top left) smallest $dSWA/dPW$ ($\%/[kg\ m^{-2}]$, printed on every panel) to (bottom right) largest $dSWA/dPW$. Dashed lines depict the 10th-90th percentile spread of SWA within each PW bin, demonstrating the tight constraint PW places on SWA . Numbers next to model names are those from Extended Data Table 1. On every panel, the SWA versus PW curve and linear fit based on CERES-EBAF fluxes and SSM/I water vapor are also shown (blue triangles/line); the 10th-90th percentile spread is shown only on the second panel for visual clarity.

Extended Data Figure 6. Methodology for parameterizing absorption of solar radiation by water vapor. The relationship between $dSWA/dPW$ and methodology used to parameterize solar absorption by water vapor in a cloud-free atmosphere, with colors for each model referring to different parameterization procedures as documented in the references listed in the legend (see also Extended Data Table 1). Boxes outlined in black indicate that water vapor continuum absorption in the shortwave is accounted for in the parameterization. Model numbers are defined. The width of the horizontal shading for each model represents the 95% confidence

interval of the regression slope to the SWA versus PW curve, as in Fig. 4. Statistical uncertainty of $dSWA/dPW$ derived from CERES-EBAF fluxes and three PW datasets (obs) and from ISCCP-FD is represented with vertical dashed lines, as described in Figs. 3 and 4, respectively.

Extended Data Figure 7. Constraining the spread in late 21st century precipitation change.

(a) The relationship between temperature-mediated clear-sky SWA response ($dSWA/dT$) and SWA sensitivity to varying PW ($dSWA/dPW$) (as in Fig. 3b) showing an estimate of the “true” $dSWA/dT$ (blue line/star), and how it is quantified. (b) The temperature-mediated L_vP response ($L_v dP/dT$) versus $dSWA/dT$ (as in Fig. 2b) showing how the “true” $dSWA/dT$ in (a) is used to quantify a bias in $L_v dP/dT$ originating from a bias in $dSWA/dT$; the bias for an example model (#13: GISS-E2-R) is displayed. (c) The full (abscissa) versus constrained (with bias in panel [b] removed, ordinate) total change (indicated with Δ) in L_vP normalized by change in 2-m warming at the end of the 21st century under RCP8.5 (see Methods and Eq. 2). (d) As in (c) but for total L_vP change not normalized by warming. Model numbers are defined in Extended Data Table 1. Two models (#8: CNRM-CM5-2 and #23: MPI-ESP-P) are excluded from panels (c) and (d) due to unavailable RCP8.5 output.

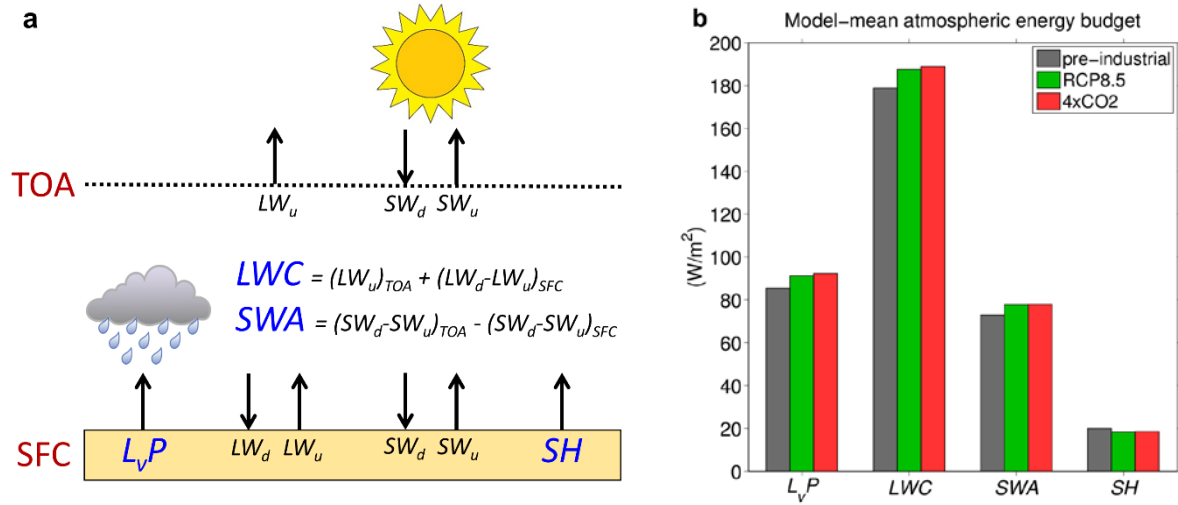


Figure 1. The atmospheric energy budget. (a) Schematic of the fluxes considered in the budget. All fluxes (arrows) shown in the schematic are defined positive; some represent downward (denoted with subscript d) and others upward (denoted with subscript u) fluxes at the top-of-atmosphere (TOA) or surface (SFC). All flux arrows are drawn with the same length for simplicity. The four main energy budget terms considered in this study (Eq. 1) are identified with blue text. Two of them are radiative and are derived from individual longwave (LW) or shortwave (SW) flux components, following the equations in panel (a): net atmospheric longwave cooling (LWC , the sum of upward LW flux at TOA and net downward LW flux at the SFC) and shortwave absorption (SWA , net downward SW flux at TOA minus net downward SW flux at the SFC). The other two are the latent heat release from precipitation (L_vP , latent heat of vaporization multiplied by precipitation rate) and sensible heat flux from the surface to atmosphere (SH). (b) The global-mean values of the four terms simulated by the CMIP5 ensemble for the pre-industrial control simulation (average over 150 years), Representative Concentration Pathway scenario 8.5 (RCP8.5, average over 2091-2100), and abrupt quadrupled CO_2 scenario (average for years 141-150 after CO_2 quadrupling in all models except

883 CNRM-CM5-2 and IPSL-CM5A-MR, where it is for years 131-140). The model mean is shown
884 in all cases, and the radiative terms are computed using all-sky fluxes. All terms are positive.
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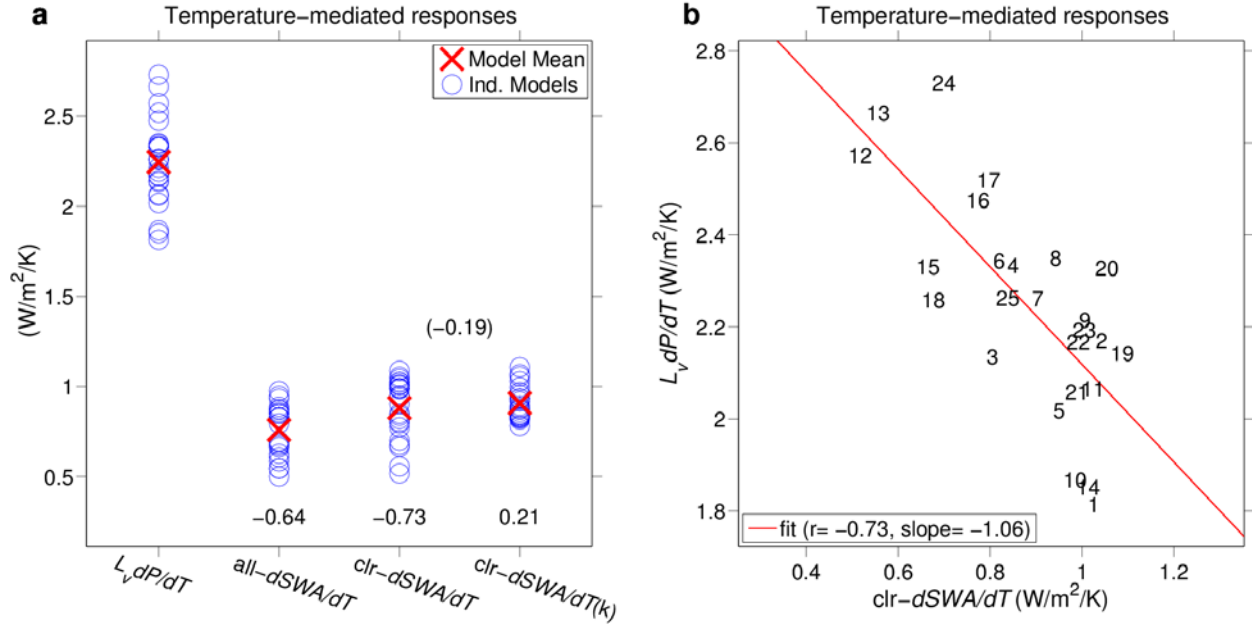


Figure 2. Relationship between temperature-mediated L_vP and SWA responses. (a) The temperature-mediated responses of L_vP ($L_v dP/dT$) and SWA ($dSWA/dT$) for all-sky (indicated with all-) and clear-sky (indicated with clr-) are shown. The values are computed using model-produced fluxes (as in Extended Data Fig. 1) except in the case of $clr-dSWA/dT(k)$, in which they are computed with radiative kernels (Methods). Individual CMIP5 models are shown as blue circles. The numbers above the abscissa are the cross-model correlations between $L_v dP/dT$ and each $dSWA/dT$. The number in parentheses is the correlation between model-produced and kernel-derived clear-sky $dSWA/dT$. (b) Scatterplot of the model-produced $L_v dP/dT$ vs. clear-sky $dSWA/dT$ for the 25 models. Note that the abscissa and ordinate axes have the same scale. Model numbers are defined in Extended Data Table 1.

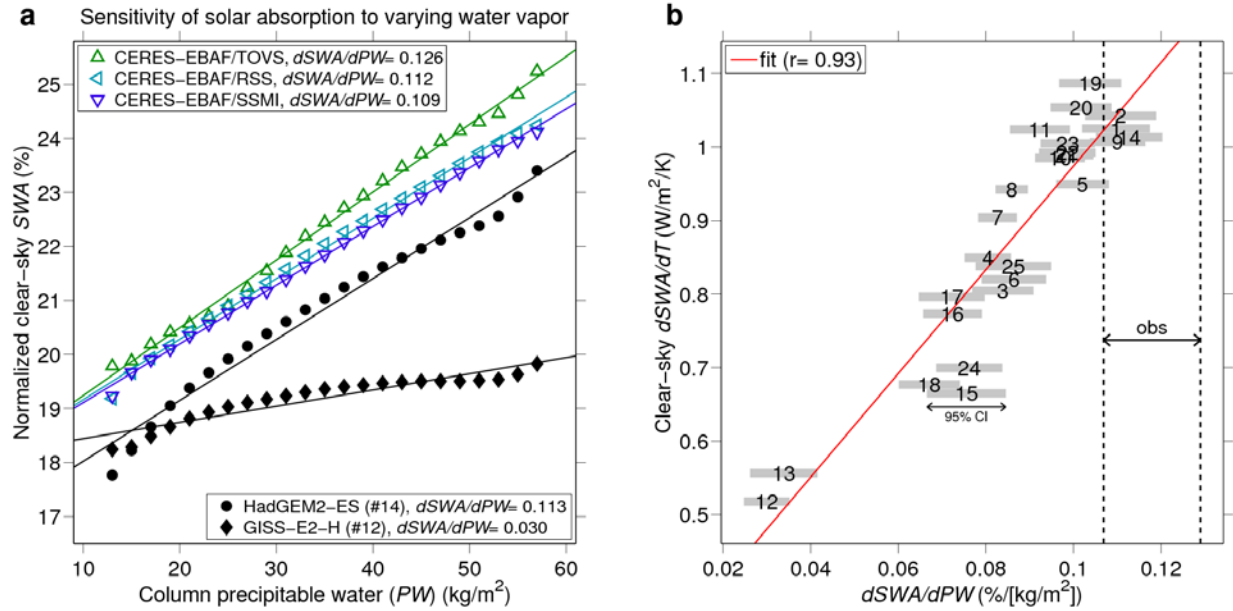


Figure 3. The sensitivity of solar absorption to varying atmospheric water vapor. (a) Clear-sky SWA normalized by incoming solar flux versus column precipitable water (PW) in the pre-industrial climate for selected models and for CERES-EBAF estimates with three PW datasets (see Methods). The slope of the curve represents the sensitivity of SWA to varying PW ($dSWA/dPW$) and its value is given in the legends for each model/dataset (%/[kg m⁻²]). (b) Scatterplot of the (clear-sky) temperature-mediated SWA response to CO₂ forcing, $dSWA/dT$ (Fig. 2b), versus $dSWA/dPW$ (panel a) for the 25 models. In (b), the width of the horizontal shading for each model represents the 95% confidence interval (CI) of the regression slope to the SWA versus PW curve (Methods). Statistical uncertainty of the CERES-EBAF $dSWA/dPW$ estimate combining all PW datasets is shown with vertical dashed lines (obs). It is computed by (1) calculating the 95% CI of the slope of the CERES-EBAF curve with each individual PW dataset, then (2) calculating the absolute minimum to maximum of the three CIs (i.e., the minimum of the lower bounds of all CIs to the maximum of the upper bounds of all CIs).

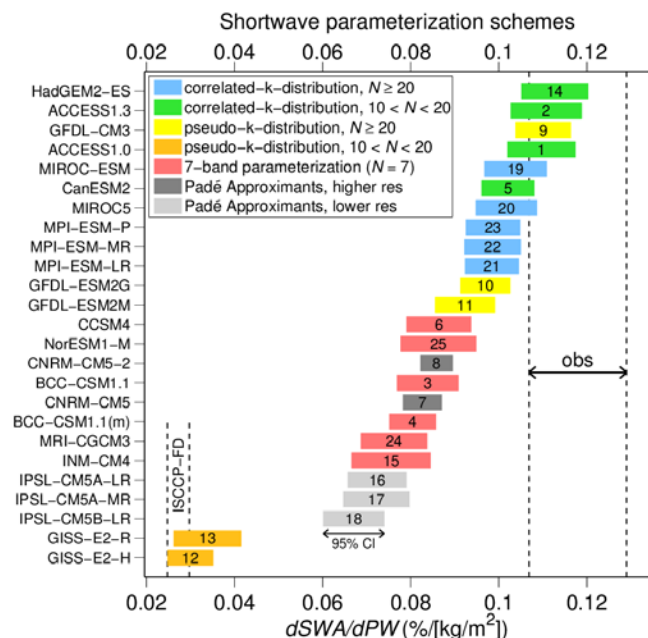


Figure 4. Shortwave parametrization schemes. The relationship between $dSWA/dPW$ (Fig. 3) and characteristics of the parameterization scheme for solar absorption by water vapor in a cloud-free atmosphere, with colors for each model referring to different types of parameterizations as described in the legend (N refers to the number of exponential terms representing water vapor absorption). References and further discussion are given in Extended Data Table 1 and Methods, respectively. Model numbers are identified. The width of horizontal shading for models and the vertical dashed lines for observations (obs) represent statistical uncertainties of $dSWA/dPW$, as described in Fig. 3. The 95% CI for an estimate of $dSWA/dPW$ based on ISCCP-FD (Methods) is also shown with vertical dashed lines.